

# Parsing Related Works

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# Deep Biaffine Attention for Neural Dependency Parsing

- Basic info:
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- Key words:
  - Graph-based dependency parsing, BiLSTM, Biaffine attention
- Main Contributions:
  - Biaffine attention, adam beta2=0.9

# Deep Biaffine Attention for Neural Dependency Parsing

- Model
- Dependency arc prediction
  - Score potential arcs

$$\mathbf{h}_i^{(arc-dep)} = \text{MLP}^{(arc-dep)}(\mathbf{r}_i)$$

$$\mathbf{h}_j^{(arc-head)} = \text{MLP}^{(arc-head)}(\mathbf{r}_j)$$

$$s_{ij}^{(arc)} = \mathbf{h}_i^{\top (arc-dep)} \mathbf{U}^{(arc)} \mathbf{h}_j^{(arc-head)} + \mathbf{w}^{\top (arc)} \mathbf{h}_j^{(arc-head)}$$

- Dependency relation prediction
  - Score potential relations

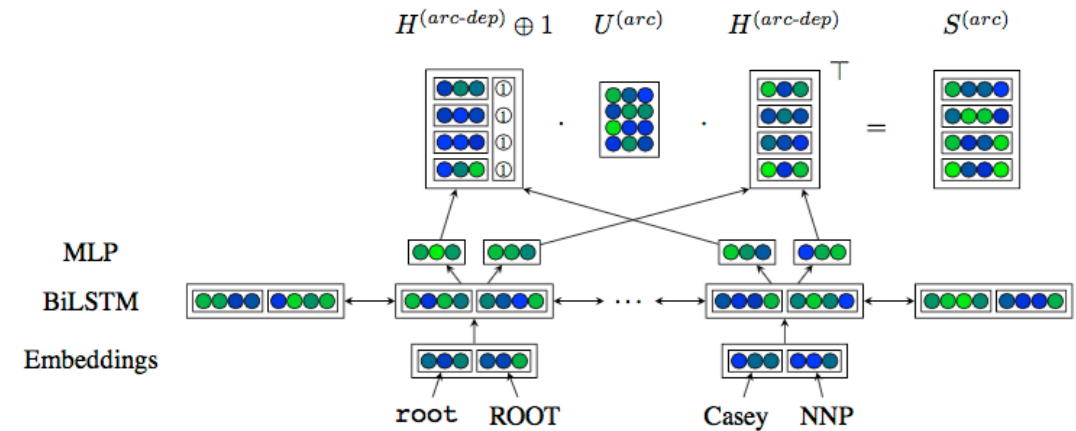


Figure 2: Deep biaffine neural dependency parser applied to the sentence “Casey hugged Kim”. We concatenate a vector of ones to  $H^{(arc-dep)}$  to make the scorer biaffine rather than bilinear.

$$\mathbf{h}_i^{(rel-dep)} = \text{MLP}^{(rel-dep)}(\mathbf{r}_i)$$

$$\mathbf{h}_{y_i}^{(rel-head)} = \text{MLP}^{(rel-head)}(\mathbf{r}_{y_i^{(arc)}})$$

$$\mathbf{s}_i^{(rel)} = \mathbf{h}_i^{(rel-dep)} \mathbf{U}^{(rel)} \mathbf{h}_{y_i}^{(rel-head)}$$

$$+ W^{(rel)} \left( \mathbf{h}_i^{(rel-dep)} \oplus \mathbf{h}_{y_i}^{(rel-head)} \right)$$

$$+ \mathbf{b}^{(rel)}$$

# Simple and Accurate Dependency Parsing Using Bidirectional LSTM Feature Representations

- Basic info:
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  - Status
    - arXiv 14 Mar 2016
    - *Transactions of the Association for Computational Linguistics*, 4:313–327, 2016.
- Key words:
  - Dependency parsing, BiLSTM, Attention
- Main Contributions:
  - BiLSTM, Attention

# Simple and Accurate Dependency Parsing Using Bidirectional LSTM Feature Representations

- Model
- Transition-based Parser
  - feature function  $\phi(c)$  is the concatenated BiLSTM vectors of the top 3 items on the stack and the first item on the buffer.
- Graph-based Parser

$$\begin{aligned} \text{parse}(s) &= \arg \max_{y \in \mathcal{Y}(s)} \text{score}_{\text{global}}(s, y) \\ &= \arg \max_{y \in \mathcal{Y}(s)} \sum_{(h,m) \in y} \text{score}(\phi(s, h, m)) \\ &= \arg \max_{y \in \mathcal{Y}(s)} \sum_{(h,m) \in y} \text{MLP}(v_h \circ v_m) \\ v_i &= \text{BIRNN}(x_{1:n}, i) \end{aligned}$$

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**Algorithm 1** Greedy transition-based parsing

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- 1: **Input:** sentence  $s = w_1, \dots, x_w, t_1, \dots, t_n$ , parameterized function  $\text{SCORE}_\theta(\cdot)$  with parameters  $\theta$ .
- 2:  $c \leftarrow \text{INITIAL}(s)$
- 3: **while not**  $\text{TERMINAL}(c)$  **do**
- 4:    $\hat{t} \leftarrow \arg \max_{t \in \text{LEGAL}(c)} \text{SCORE}_\theta(\phi(c), t)$
- 5:    $c \leftarrow \hat{t}(c)$
- 6: **return**  $\text{tree}(c)$

$$\begin{aligned} \phi(c) &= v_{s_2} \circ v_{s_1} \circ v_{s_0} \circ v_{b_0} \\ v_i &= \text{BiLSTM}(x_{1:n}, i) \end{aligned}$$

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# Bi-directional Attention with Agreement for Dependency Parsing

- Basic info:
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  - Dependency parsing, BiLSTM, Attention
- Main Contributions:
  - BiLSTM, Attention

# Bi-directional Attention with Agreement for Dependency Parsing

- Paper said “To the best of our knowledge, this is the first at-tempt to apply memory network models to graph-based dependency parsing”. But to be honest it is a bidirectional attention model.

- Components:

- Memory:  $\mathbf{m}_j = [\mathbf{h}_j^l; \mathbf{h}_j^r]$
- Query:

$$s_{t,j} = \mathbf{v}^T \phi(\mathbf{C}\mathbf{m}_j + \mathbf{D}\mathbf{q}_t) \quad \mathbf{a}_t = \text{softmax}(\mathbf{s}_t)$$

$$\tilde{\mathbf{m}}_t = \sum_{j=1}^n a_{t,j} \mathbf{m}_j \quad \mathbf{q}_t = \text{GRU}(\mathbf{q}_{t-1}, [\tilde{\mathbf{m}}_t; \mathbf{x}_t])$$

- Prediction:

$$\mathbf{y}_t = \text{softmax}(\mathbf{U} [\tilde{\mathbf{m}}_t^l; \tilde{\mathbf{m}}_t^r] + \mathbf{W} [\mathbf{q}_t^l; \mathbf{q}_t^r])$$

